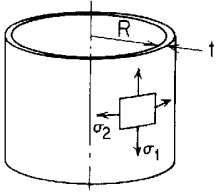
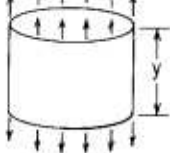
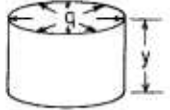


## 13.8 Tables

**TABLE 13.1 Formulas for membrane stresses and deformations in thin-walled pressure vessels**

NOTATION:  $P$  = axial load (force);  $p$  = unit load (force per unit length);  $q$  and  $w$  = unit pressures (force per unit area);  $\delta$  = density (force per unit volume);  $\sigma_1$  = meridional stress;  $\sigma_2$  = circumferential, or hoop, stress;  $R_1$  = radius of curvature of a meridian, a principal radius of curvature of the shell surface;  $R_2$  = length of the normal between the point on the shell and the axis of rotation, the second principal radius of curvature;  $R$  = radius of curvature of a circumference;  $\Delta R$  = radial displacement of a circumference;  $\Delta y$  = change in the height dimension  $y$ ;  $y$  = length of cylindrical or conical shell and is also used as a vertical position coordinate, positive upward, from an indicated origin in some cases;  $\psi$  = rotation of a meridian from its unloaded position, positive when that meridional rotation represents an increase in  $\Delta R$  when  $y$  or  $\theta$  increases;  $E$  = modulus of elasticity; and  $\nu$  = Poisson's ratio

Case no., form of vessel	Manner of loading	Formulas
1. Cylindrical  $\frac{R}{t} > 10$	1a. Uniform axial load, $p$ force/unit length 	$\sigma_1 = \frac{p}{t}$ $\sigma_2 = 0$ $\Delta R = \frac{-\nu p R}{Et}$ $\Delta y = \frac{p y}{Et}$ $\psi = 0$
	1b. Uniform radial pressure, $q$ force/unit area 	$\sigma_1 = 0$ $\sigma_2 = \frac{q R}{t}$ $\Delta R = \frac{q R^2}{Et}$ $\Delta y = \frac{-q R \nu y}{Et}$ $\psi = 0$