



FIG. 14

THIS EXAMPLE IS TO DETERMINE THE CURRENT FLOWING IN THE 2 V BATTERY.

Solution

Although there are other components connected in parallel to it, we still have an ideal voltage source connected directly between two nodes. This means that the voltage V_{32} is pinned at 2V, irrespective of what is happening elsewhere in the circuit. In fact we can go on to immediately state that:

current in 10Ω resistor is $(2 \div 10) = 0.2 \text{ A}$

and

current in 20Ω resistor is $((2-1) \div 20) = 0.05 \text{ A}$

Thus current flowing into node 2 from the 20Ω and 10Ω resistors is 0.25 A

To solve for the remainder of the circuit we make node '2' and '3' a super node and apply KCL to it:

$$\frac{9 - V_{20}}{5} - \frac{V_{20}}{4} - \frac{V_{30}}{2} + \frac{6 - V_{30}}{12} = 0$$

Multiplying by 60 gives:

$$108 - 12V_{20} - 15V_{20} - 30V_{30} + 30 - 5V_{30} = 0$$

$$27V_{20} + 35V_{30} = 138$$

(1)

We also know

$$V_{30} - V_{20} = 2$$

(2)

Adding $27 \times (2)$ to (1):

$$27V_{30} + 35V_{30} = 138 + 54$$

$$62V_{30} = 192$$

$$V_{30} = 3.097 \text{ volts}$$

Thus

$$V_{20} = 3.097 - 2 = 1.097 \text{ volts}$$

$$\text{Current in } 5\Omega \text{ RESISTOR} = \frac{9 - 1.097}{5} = 1.518 \text{ A (INTO NODE 2)}$$

$$\text{CURRENT IN } 4\Omega \text{ RESISTOR} = \frac{1.097}{4} = 0.274 \text{ A (OUT OF NODE 2)}$$

$$\text{CURRENT IN FROM } 5\Omega + \text{CURRENT IN FROM } 20\Omega \text{ AND } 10\Omega - \text{CURRENT OUT FROM } 4\Omega = 1.581 + 0.25 - 0.274 = 1.557 \text{ A}$$

SO THERE IS 1.557 A FLOWING INTO -ve TERMINAL.